

B

000056 200056

2017-34

2017

1

2

A

4,023.79

A

1,147,784,868 3.51% 10%

3,219.03 2.81% 804.76

0.70%

10%

1%

3

56

5%

12

4

5.89 /

1

2017 6 9

11.78 50% 5.89

2

20

11.59

2

50%	5.80				
5					
6					
				60	
7				12	
36	3				

	12 24	30%
	24 36	30%
	36 48	40%

	12 24	50%
	24 36	50%

8

2017 2019



5	
11	
5%	
1	12
2	12
3	12
4	
5	
6	
12	
13	
	60
14	

[illegible]

		2017

1

2

3

4

1

2

3

1

2

56

1

5

2

24

3

27

5%

12

12

1

5%

12

2	12			
3	12			
4	12			
5				
6				
7				
1				
	10			
2				
		5		
3			6	

				A	
		4,023.79			A
				1,147,784,868	3.51%
	10%		3,219.03		2.81%
804.76			0.70%		

1			255.00	6.34%	0.22%
2			204.00	5.07%	0.18%
3			170.00	4.22%	0.15%
4			85.00	2.11%	0.07%
5			85.00	2.11%	0.07%
51			2,420.03	60.14%	2.11%
			804.76	20.00%	0.70%
			4,023.79	100%	3.51%

1

2
3 12 1%

				5.89	
		5.89			
				5.89	/
1				2017	6 9
	11.78	50%	5.89		
2			20		11.59
50%	5.80				
				1	
50%					
				20	60
120			50%		

60

60

60

12

12

1

30

30

1

2

10

3

2

4

12

2

25%

50%

6

6

3

1		
1		
2		
3	36	
4		
5		
2		
3		
1	12	
2	12	
3	12	
4		
5		
6		

1

1

2

3 36

4

5

2

1 12

2 12

3 12

4

5

6

3

2017 2019

	2016 2017 150%
	2016 2018 300%
	2016 2019 500%

	2016 2018 300%
	2016 2019 500%

1

4

	100%		*100%
	100%		A/B+/B/C/D

A/B+/B/C/D /

91-100	A	
85-90	B+	

2016

150% 300% 500%

2017

2019

1

$$= \frac{Q_0}{n} + \frac{Q}{n}$$

2

$$= \frac{Q_0}{n} + \frac{Q}{n}$$

3

$$= \frac{Q_0}{n} + \frac{Q}{n}$$

4

$$= \frac{Q_0}{n} + \frac{Q}{n}$$

11

1

2

3

4

11

22

Black-Scholes

B-S

1

11.73

2017

6

9

2

60

12

3 47.67% 76.12% 73.66% A 1

3

4 1.50% 2.10% 2.75%

1 2 3 5

2017 7

	2017	2018	2019
--	------	------	------

1

2

3 36

4

5

1

2

1

2

3

4

5

7

8

1

$$= \quad \times \quad +$$

$$Q_0 \qquad n$$

Q

2

$$= \quad \times$$

$$Q_0 \qquad n \qquad 1$$

$$n \qquad Q$$

3

$$= \frac{\begin{matrix} \times & \times & + \\ & + & \times \end{matrix}}{\quad}$$

$$Q_0 \qquad P_1$$

$$P_2 \qquad n \qquad Q$$

4

1

$$= \frac{\quad}{+}$$

P_0

n

P

2

$$= \frac{\begin{matrix} \times & + & \times \\ \times & + \end{matrix}}{\quad}$$

P_0

P_1

P_2

n

P

3

$$= \frac{\quad}{\quad}$$

P_0

n

P

4

$$= \quad -$$

P_0

V

P

P

1

5

1

2

a)

b)

1

2017 6 10